

Airlines as Baseball Players:
**Another Approach to Assessing
Time-Trends in Aviation Safety**

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“Several studies have found that up to **40 percent** of people have some degree of anxiety about flying”

The New York Times, 7/24/07

How safe is it to fly?

Well, how should we
measure aviation safety?

An e-mail message:

“My name is L.S. I would like to know if you, as an expert in aviation safety, fly regularly.”

“You see, I stopped flying about a year ago and this has affected my life in a significant matter. Just one last question: what are the odds of me dying in a plane crash?”

Given that a passenger's greatest fear is of being killed in a plane crash, there is **a natural interest** in statistics about the likelihood of that outcome.

**Measure of Safety Performance
Over a Past Period:**

**Death Risk Per
Randomly Chosen
Flight**

Question:

If a person chooses a flight **at random** from among those of interest (e.g. Brazilian jet flights over the period 1990-99), what is the probability that he will **not** survive it?

**Death Risk per Flight:
Scheduled US jet aviation 2000-09**

1 in 23 million

(How good is that?)

Well, Barack Obama was elected the 44th president of the US **228 years** after the first president was chosen.

That works out to one president elected **every 5.3 years** ($228/43$).

Moreover, over 2000-07, there were **4.1 million births per year** in the United States.

That works out to $4.1 \times 5.3 \approx 22$ **million births every 5.3 years** in the US, of whom **one** on average will be elected President.

In other words, an American kid at a US airport today is ***more likely to grow up to be President*** than to perish in an accident on her next jet flight.

(1 in **22** million vs. 1 in **23** million)

Furthermore, at a risk of **1**
in 23 million per flight:

Someone who took **one flight**
every day would on average go
63,000 years before dying in an
air crash. (**Pretty good, eh?**)

In the late 1990's, the FAA set a most ambitious safety goal:

Reduce the **fatal accident rate** for scheduled US aviation by **80%** from the 1994-96 level by 2007.

Death risk per Flight, US
scheduled aviation, **1994-96**

1 in 3.6 million

(includes both jet and propeller aircraft)

Death risk per Flight, US scheduled
aviation (jet **plus** propeller), **2007-09**

1 in 24 million

Down **85%** from 1994-96 level

Mission accomplished!!

However, the *sheer rarity* of fatal accidents on US commercial flights raises the fear that data about them may not reliably illuminate *time-trends* in the mortality risk of air travel.

For example, suppose that fatal accidents occur randomly over time at an **average** rate of one per year:

(i.e., on any given day, the chance of a fatal accident is **$1/365$**)

Then, in any particular year, there would be:

- a **37%** chance of **no** fatal accidents
- a **37%** chance of **one** fatal accident
- an **18%** chance of **two** fatal accidents
- an **8%** chance of **three or more** fatal accidents

In short, there would be considerable year-to-year volatility **even in the absence of any trends.**

It therefore seems useful to pay attention **not just to fatal accidents,** but to lesser untoward events that **caused no deaths** but had the potential to do so.

At the same time, one does not want a “one event, one vote” scheme that **blurs the distinction** between a mildly hazardous event and an extremely dangerous one.

One approach to thinking about this issue arises from a scheme by which the **Oakland Athletics** evaluated the performance of baseball players.

Let me describe it now.

A Definition:

The **full-crash equivalent** (FCE) of an untoward event aboard a commercial flight is the **fraction** of passengers who perish because of it.

(If everyone dies, **FCE = 1**; if 10% die, **FCE = 1/10**; no deaths, **FCE = 0**)

In analogy with the baseball scheme, we can calculate the **“expected” FCE** for any given event based **not** on what actually happened, but on the **average outcome in historical data** for very similar events.

Then, we can **add up** the expected FCE's for *all untoward events* that occurred over a period to get a **“luck adjusted”** measure for passenger mortality risk.

Example: **Category A Runway Incursions**

Suppose **hypothetically** that:

- In recent years, **2%** of category A incursions were runway **collisions** that caused deaths to passengers on scheduled flights
- On average, **one** of the two planes involved in the collision was a scheduled flight, and the average death toll on that flight was **50%** of the passengers

Then the **average passenger** FCE
per Category A incursion would
be 50% of 2% = **1% = 1 in 100**
(Right?)

(The **actual** FCE of the incursion
could be anywhere from **0 to 2.**)

Suppose that:

In a certain year, there were **seven** category -A incursions (none of which caused any deaths).

- Under the baseball scheme, the seven events would have a **total** FCE of $7 \times (1 \text{ in } 100) = \mathbf{.07}$.
- Thus, they would be treated as **equivalent** to ***one fatal accident that killed 7% of the passengers.***
- The fact that there were actually no deaths would be construed as ***a lucky outcome*** because the seven events all had the potential to cause fatalities.

In other years, the “baseball-adjusted” FCE score would **fall below** the actual FCEs in the category A incursions. Those years would be construed as **unlucky.**

MIT undergraduates **Eric Ni, Jason Scott, and Lei Zhu** and I considered roughly 5000 incidents and accidents involving US aviation over the years 1994-2008.

We used data from **FAA** and **NTSB**.

We used the baseball approach to assess trends over 1994-2008 in air safety for scheduled US passengers.

Doing so required a number of judgment calls, **none of which** are self-evidently correct.

Two quick examples:

- **Runway Collision Risk**
- **Risk of Midair Collisions**

Over 1994- 2007*, there were **199** category-A incursions at US airports, **297** category-B incursions, and **1152** category-C incursions.

There were **three** fatal runway incursions, one of which killed all passengers on one commercial plane.

Given these data, how should we **allocate** the risk of passenger deaths in runway collisions among different categories of incursions?

- Among category-A incursions only
- Among category A, B, and C incursions, giving **equal weight** to all such events
- Among A, B, and C incursions, giving **greatest weight** to A incursions and **least** to C incursions.

As for midair collisions, there were **none** involving scheduled US aircraft over 1994-2008.

However:

There were 65 **critical near collisions** over that period involving scheduled aircraft, and 372 **potentially dangerous near-collisions** involving such planes (*FAA classifications*). And there were **37 actual midair collisions** involving GA planes.

How should we proceed?

- It seems artificial to estimate midair collision risk as **zero** because of the perfect actual record over 1994-2009. (Does anyone seriously believe the risk is zero?)
- But introducing a **low but positive** risk estimate raises **very serious** issues.

Moving beyond collisions, we had to deal with untoward events of many kinds. Broadly speaking, we asked two questions:

- Did the danger arise from a **natural hazard** outside the aircraft or a **crisis aboard the plane**?
- **Who was primarily at fault?**
The pilots? Maintenance people? The aircraft manufacturer? Ground personnel? Malicious individuals? **No one?**

Like Goldilocks, we tried to come up with classifications of “similar” events that were **neither too narrow nor too broad.**

Ultimately, we came up with baseball-adjusted mortality risk estimates for various years.

Some Results for Passengers on Scheduled US Flights:

Death Risk per Flight:

<u>Year</u>	<u>Actual</u>	<u>Baseball-Adjusted</u>
1995	1 in 6.6 m	1 in 6.3 m
1999	1 in 129 m	1 in 5.8 m
2003	1 in 9.3 m	1 in 10.2 m
2007	0	1 in 14.8 m

In considering this approach, one does well to remember President Obama's warning that:

The perfect is the enemy of the good.