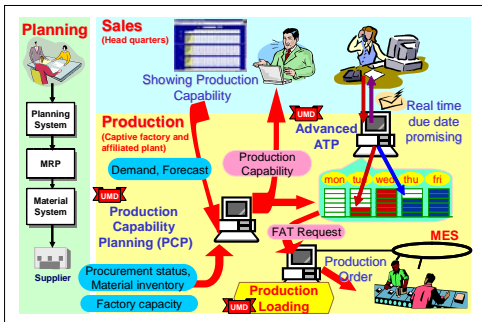


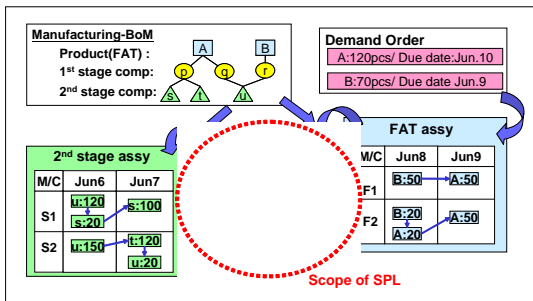
Background

- UMD and Toshiba have collaboratively developed advanced Available to Promise (ATP) and Production Capacity Planning (PCP)
- Optimization-based Production Loading (OPL) extends ATP to shop-floor level by considering detailed production information.



Concept of OPL

- Model should determine optimal daily production schedule for each production stage based on Final Assembly and Testing requirements.
- The goal of this project is to develop optimization-based OPL prototype to reduce production lead-time and total inventory level, to improve throughput and order commitments (customer service level).

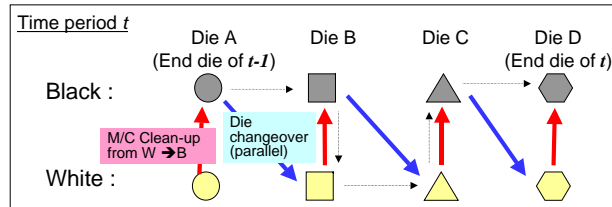


Single-Stage OPL (SPL) and Motif

- Develop OPL prototype for single bottleneck stage
- A factory producing electronic appliance from Toshiba Corp. is selected as motif for the development.
- One product can be produced with multiple available combinations of machine, die (injection module), and material.
- Changeover loss including die changeover and material changeover when switching products are significant.

Mixed Integer Programming (MIP) Formulation

- Material change from black (B) to white (W) should be done in parallel with die change, unless initial matl is B and there is no W with initial die.



Objective Function

Minimize:

Due date violation + Inventory holding cost + Change-over time

Major Decision Variables

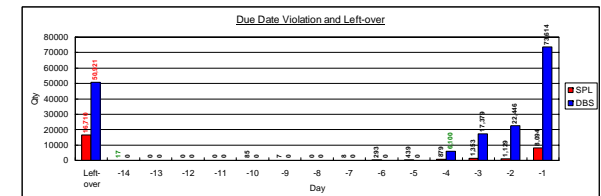
- $C_j(t, t^k)$: Quantity committed for component j in time period t .
- $Q_{(m,d,j)}(t)$: Quantity produced by using of machine m , die d and component j in time period t .
- $O_m(t)$: Total changeover time on machine m in time period t .
- $Z_{(m,d)}(t)$: Die indicator, equal to 1 as die d is allocated to machine m in time period t .
- $\hat{Z}_{(m,d)}(t)$: Ending die indicator, equal to 1 as die d is allocated as ending die to machine m in time period t .
- $X_{(m,d,\rho)}(t)$: Material change indicator, equal to 1 as there is material change-over between component group j at machine m and die d in time period t .

Major Constraints

- Demand commitments :
$$\sum_{t \in T} C_j(t, t^k) \leq L_j(t^k) \leq r_j(t^k)$$
- Production conservation :
$$I_j(t) \leq I_j(t-1) + \sum_{(m,d) \in MD} Q_{(m,d,j)}(t) - \sum_{(m,d) \in MD} I_j(t)$$
- Capacity balance :
$$\sum_{(d,j) \in DJ} Q_{(m,d,j)}(t) \leq c_m(t) \leq O_m(t)$$
- Changeover calculation constraints
 - ✓ Available combinations of die and machine for each component
 - ✓ Ending die for each machine and day

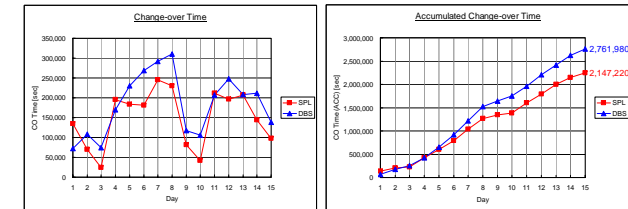
Experimental Comparison with a Commercial Dispatching Rule Based Scheduler (DRBS)

- Data was collected from an electric appliance company
 - ✓ OPL time horizon: 15 days
 - ✓ Total number of machines: 80
 - ✓ Total number of dies: 870
 - ✓ Total number of component types: 870
 - ✓ Total number of material types: 2 (black or white)
 - ✓ Possible component, machine die combination: 1300
 - ✓ Variation of the total number of orders per day: 1 ~ 287
 - ✓ Quantity variation of orders: 750 ~ 210,000
- Total computation time of SPL including pre-processing, database querying and optimization: 180 minutes
- Demand Commitment: Total quantity of the violated orders and left-over orders is reduced 6.2% by using SPL compared to DRBS.



Changeover Loss:

Total changeover time can be reduced 18.2% by using SPL compared to DRBS.



Production Lot Sizing :

Total number of lots in SPL is 14.5% less than the ones in DRBS.

