

# Understanding Norm Change: An Evolutionary Game-Theoretic Approach



INSTITUTE FOR  
SYSTEMS RESEARCH  
A. JAMES CLARK SCHOOL OF ENGINEERING

Soham De (CS & ISR), Dana S. Nau (CS & ISR), Michele J. Gelfand (Psychology)

## Background & Motivation

- Human societies interact by developing and maintaining social norms. Empirical studies show *marked differences* in the *strength of social norms* around the globe:
  - Tight:** High norm-adherence. High punishment of deviations from norms.
  - Loose:** Weaker norms. More tolerance for deviations from norms.

How do such norms emerge and change in different societies?

- Will enable us to identify conditions that lead to stability/instability in established norms in different societies. Critical to identify potential social uprising and turmoil.

## Our Approach: Evolutionary Game Theory (EGT)

Tight societies: High need for coordination

Loose societies: Low need for coordination

Study how the **need for coordination** affects **norm change** in societies using an EGT model

First work to provide a model of how cultural differences affect norm change

## Proposed Model

$c$  denotes tightness

$$M = cM_c + (1 - c)M_f$$

Coordination Game

$M_c$	A	B
A	$a_c, a_c$	0, 0
B	0, 0	$b_c, b_c$

Extremely Tight Society

Fixed Payoff Game

$M_f$	A	B
A	$a_f, a_f$	$a_f, b_f$
B	$b_f, a_f$	$b_f, b_f$

Extremely Loose Society

M	A	B
A	$ca + (1 - c)a_f$	$(1 - c)a_f$
B	$(1 - c)b_f$	$cb_c + (1 - c)b_f$

On adding a suitable constant

M	A	B
A	$a$	$(1 - c)a$
B	$(1 - c)b$	$b$

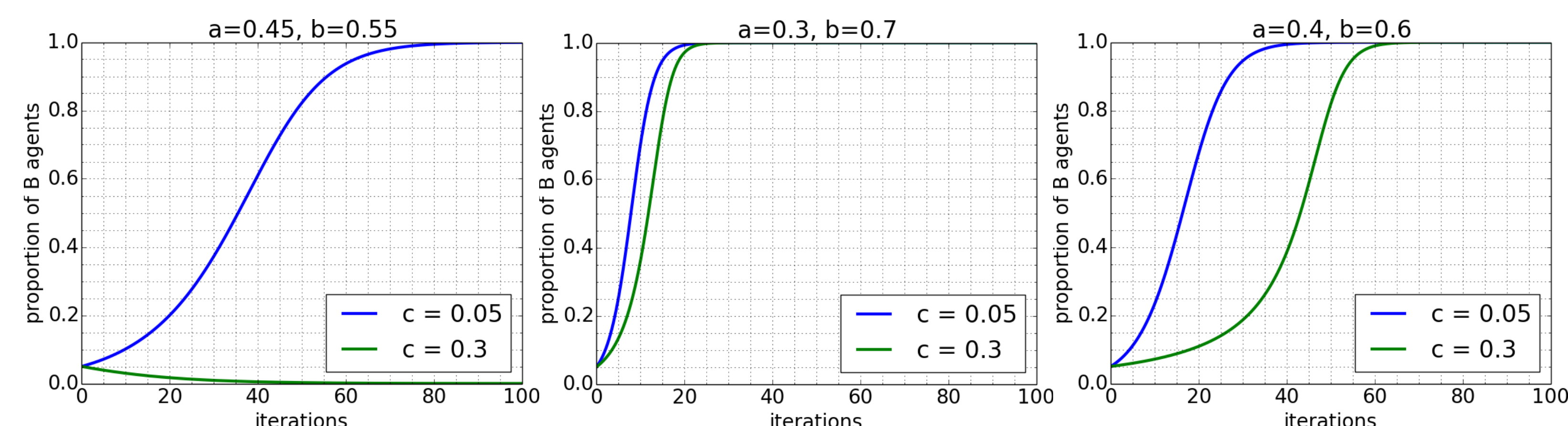
If  $b > a$ :

- $(B, B)$  is a Nash Equilibrium (NE).
- If  $c \geq \frac{b-a}{a}$ , then  $(A, A)$  is a pure NE, and  $((q, 1 - q), (q, 1 - q))$  is a mixed-strategy NE, where  $q = \frac{b - (1 - c)a}{c(a + b)}$ .

## Examining Cultural Inertia

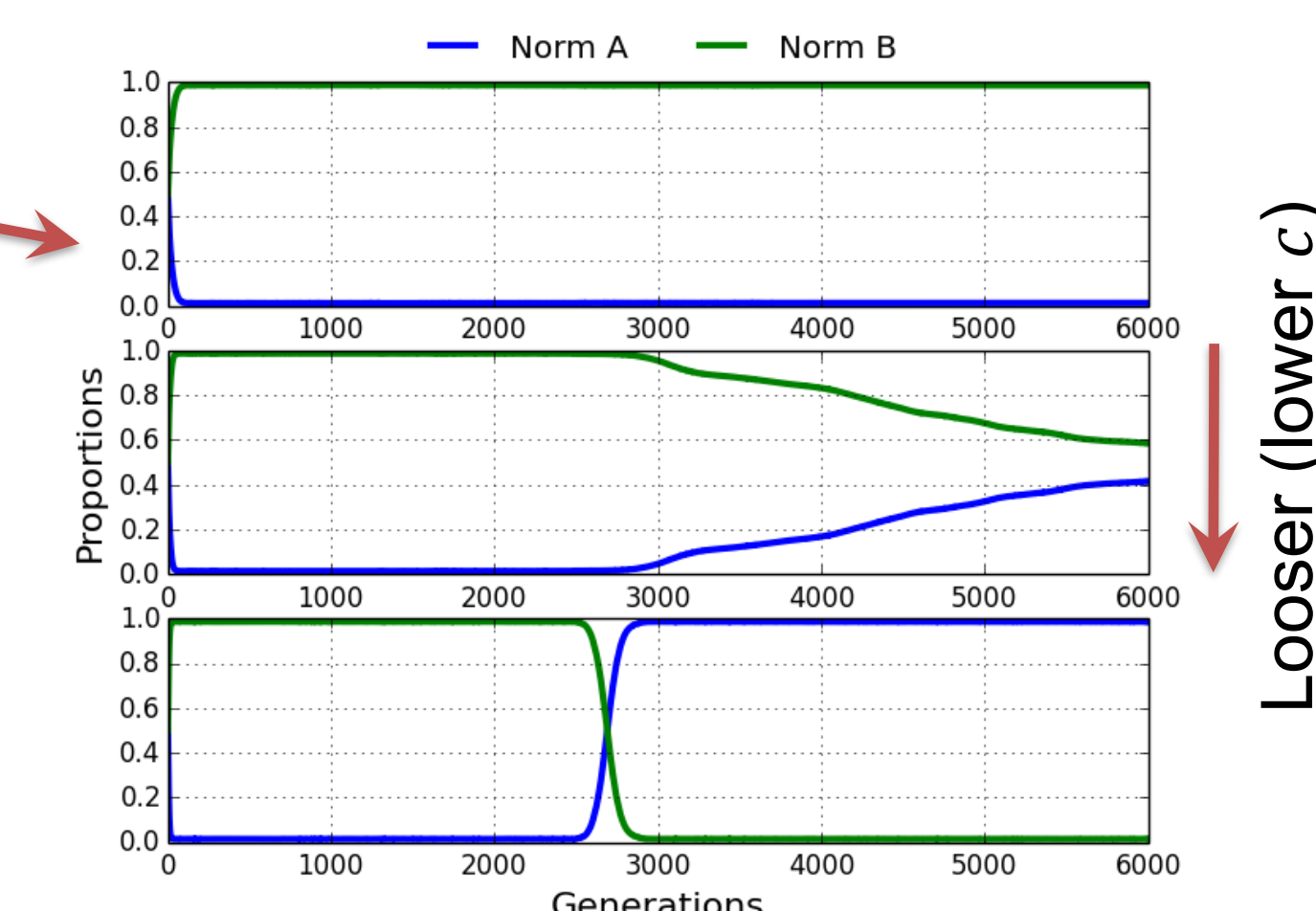
**Cultural Inertia:** amount of resistance of a society to changing a norm. Critical to understanding norm change.

Use *replicator dynamic* on infinite well-mixed populations:  $\frac{dx_A}{dt} = x_A (u_A(x_A) - \phi(x_A))$



- Same results hold with finite agents arranged on a *network* (both grid and small world)
- Fermi rule** used: an agent compares its payoff to a randomly selected neighbor, and switches to the better norm with probability.

Higher the need for coordination, higher the cultural inertia



## Evolving Exploration Rates

**Exploration Rate:** how willing are agents to *try out new behaviors* at random

- Understand agent's tendency to *learn socially*
- Critical to understand the rate at which new norms are *adopted in a population*
- Let exploration rate *evolve* as part of agent's strategy and study evolution in a *changing environment*

Higher the need for coordination, lower the exploration rate

